

## LENS SHAPING FOR IMPULSE ANTENNA USED FOR MICROWAVE APPLICATIONS

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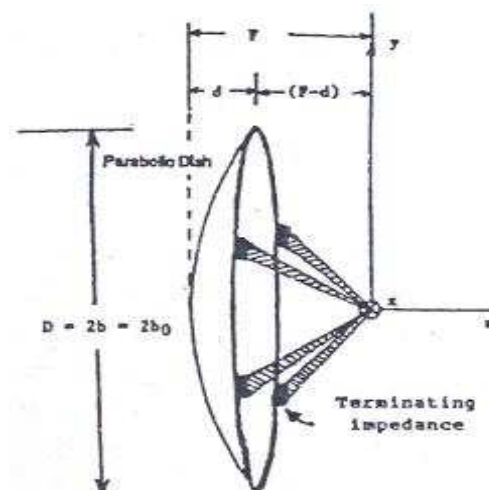
**ABSTRACT-** This paper considers a novel class of antennas namely impulse radiating antennas(IRA) Mainly the Electromagnetic simulation of dielectric lens. The lens is integrated part of an impulse radiating antenna. The corresponding design equations are implemented by using MATLAB software. The results are presented at various cases. This work can be extended for arrays of IRA for multi band communication applications

**Keywords:** Dielectric lens, Impuse antenna, MATLAB

### 1 Introduction

Impulse radiating antennas are a class of antennas especially suited for radiating very

fast Pulses in a narrow beam. The geometry of an impulse radiating reflector antenna fed by conical TEM feed is shown in Fig.1 A typical impulse radiating antenna consists of a high voltage pulser fed by a co-Axial transmission line. The pulser excites a conical TEM feed which is terminated at



the parabolic reflector by appropriate matching resistors. Hence the pulser is activated for a very short duration and an impulse current density is induced in the TEM feeds. A spherical TEM waves originates from the apex to the feed and impinges on the aperture. The process results in a delta function response in the far field. These types of antennas have application as high power pulse radiators, transient radars, and operating with many frequencies with large band ratios. These antennas handle multiple signals for communications, radar and warfare [1]. Prior to the problem of the context, TEM feed simulation is also essential for this antenna. Factors governing the design of an optimum Impulse radiating antenna and relevant status of the work are discussed elsewhere[1].

The electric field radiated on the boresight axis of the antenna is proportional to the rate of rise of the applied voltage .hence this rate of rise is to be maximized .this leads to physically small switches operating in a high pressure gas tends to appropriate  $10^{15}$ v/sec.The combination of requiring physically small switches ,high voltage and busy vise times implies the use of electromagnetic lens and switch version the lens is made of oil medium which serves the dual purposes of the high voltage

insulation and ensuring a spherical TEM wave launch on to the feed plates.

In this paper ,the dielectric-lens designs are considered for the specific case of launching an approximate spherical TEM wave onto an impulse radiation antenna (IRA).Restrictions on launch angles are derived yielding a range of acceptable lens parameters. An equal transit-time condition on ray paths is imposed to ensure the correct spherical wave front. Some reflection , ideally small ,at the lens boundary are allowed .illustrations and numerical tables are presented from which examples of these lenes may be constructed .

## **II Dielectric lens in the region of Impulse radiating antenna**

The Fig.2 shows dielectric lens along with the pulser located at the launch region of Impulse radiating antenna .The purpose of the lens is to reuse that the wave front of the TEM wave in the air region outside the lens medium is spherical with its origin at the focal point of the parabolic reflector which also the true apex of the feed plates.

Assuming that the switch located at  $z=-z_s$  Closes at a time so that increased,an ideal source turns on at  $t=0$  at the apex and the wave propagates in air. The lens medium ( 0 is in a container whose dielectric constant

is same as air) also helps in high voltage stand off .also the lens causes the characteristics impedance of the conical transmission line by reciprocal of the dielectric constant of lens medium except for small changes due to causes.the relative dielectric constant ( $\epsilon_r$ ) used increases at early time of the field due to the transmission coefficient.

*Necessary Theoretical Back Ground*

Consider an impulse radiating antenna (IRA) in the form of a paraboloidal reflector fed by a conical transmission line suitable for guiding a spherical TEM wave [2] as indicated in Fig2.the paraboloidal reflector is assumed too have a circular edge of radius a with diameter (D) as double of its radius

(a). The apex of the conical feed is located at focal distance (F) from the center of the reflector , The angle from the apex of the conical transmission line (focallpoint )to the edge of the reflector is [3]

$$\theta_{2max} = \cot^{-1} \left( \frac{2F}{D} - \frac{D}{8F} \right) = 2 \tan^{-1} \left( \frac{2a}{2F} \right)$$

(1)

.Above approximation hold good by treating F larger than D.Centering the coordinate system on the conical apex, then  $0 < \theta < \theta_{2max}$  represents the range of interest of angles for launching an electromagnetic wave toward the reflector, the axis of rotation symmetry of this reflector being taken as the z axis in the usual spherical coordinates.

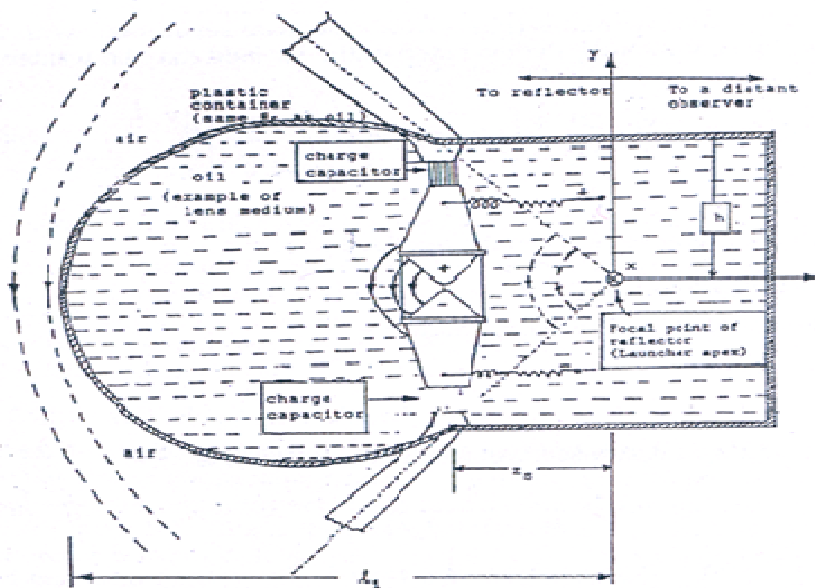


Figure2: Block diagram Electromagnetic Lens in a conical transmission line fed by a voltage source

As one extrapolates the desired wave on the TEM launch back toward the apex the electric field is larger and larger, until at some position before reaching the apex electrical breakdown conditions are exceeded. This is especially important in transmission where high voltages( and corresponding high powers) are desired. If the required spacing of the conical conductors at this cross section is larger than radian wavelengths at the highest frequencies of interest, or larger than some small rise time(times the speed of light ) of interest, then care needs to be taken in synthesizing the fields at this cross section(on some aperture spherical surface). One way to achieve the increased dielectric strength, allowing one to extrapolate the desired wave back to smaller cross sections , where a switch or some other appropriate electrical source is located, is by the use of a dielectric lens .Various kinds of lenses can be considered, including those which in an ideal sense can launch the exact form of spherical TEM wave desired . Here we consider a simple uniform dielectric lens which meets the equal-time requirement for the desired spherical wave, but has some (preferably small) reflections at the lens boundary which distort some what the desired spatial distribution (TEM) of the fields on the aperture sphere. The lens region in; Fig.2 is shown on an expanded scale in Fig.3.

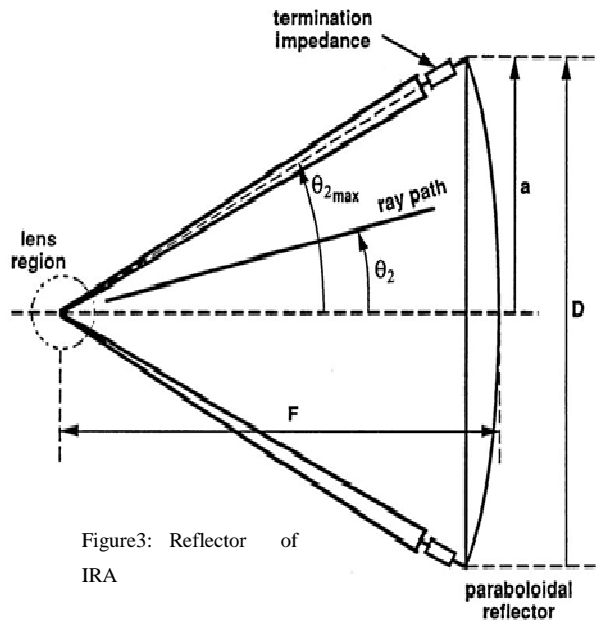


Figure3: Reflector of IRA

The apex, or focal point for spherical wave (outside the lens) launched toward the reflector, is the origin ( $\bar{\tau}_2 = \bar{0}$ ) of the  $\bar{\tau}_2$  coordinate system. Here we illustrate some cut at a constant  $\phi$ , the lens being a body of revolution. Defining relative permittivity of lens medium as ratio of permittivity outside and inside of the lens, It is understood the medium being nonmagnetic with the permeability  $\mu_0$  both inside and outside of the lens be. The outer permittivity is often be taken as  $\epsilon_0$  in practical cases, and the lens permittivity ' $\epsilon_1$ ' is considered t for dielectrics of interest such as for polyethylene or transformer oil is 2.26. The  $\theta_{2,max}$  is now the maximum of  $\theta_2$ , describing the rays leaving the lens toward the reflector. Inside the lens there are rays emanating from  $(x, y, z) = [0,0,(l_2 - l_1)]$  (2)

with the angle  $\theta_1$  with respect to the z axis. With the inside and outside rays meeting at the lens boundary the various angles are related. Corresponding to  $\theta_{2\max}$  there is also a  $\theta_{1\max}$  with  $0 \leq \theta_1 \leq \theta_{1\max}$ . For normalization purposes the position on the lens boundary for this outermost ray of interest is defined as having a cylindrical radius  $h$ . For later use this position will remain fixed for a given  $\theta_{2\max}$  for various shapes of the lens boundary given by varying  $\theta_{1\max}$ . The scaling lengths are related by the focal length formula

$$l_0^{-1} = l_1^{-1} + l_2^{-1} \quad (3)$$

So given  $l_1$  and  $l_2$  one finds  $l_0$  and  $l_0$  is scaled in units of  $h$  (See Fig.4).

### III. Restrictions on launch angles

As indicated in Fig.2, there is a potential problem with the lens concerning the fatness (extent of cylindrical radius  $\psi$ ) and the maximum angle  $\theta_{2\max}$  for launching the

spherical wave outside the lens. In particular as  $\theta_2$  approaches  $\theta_{2\max}$  from below, the lens boundary should not cross over the outermost ray of interest defined by  $\theta_2 = \theta_{2\max}$ . Referring to Fig.4, then we require that the slope of the lens boundary, where the boundary meets this ray, should satisfy

$$\theta_{1\max} \leq \theta_{2\max} \quad (4)$$

The radius of the lens boundary  $\psi_b$  can be allowed to exceed  $h$ , still meeting the restriction of above equation..

$$\theta_{lc} = \theta_{2c} \quad (5)$$

From above equation, limit of equality is to

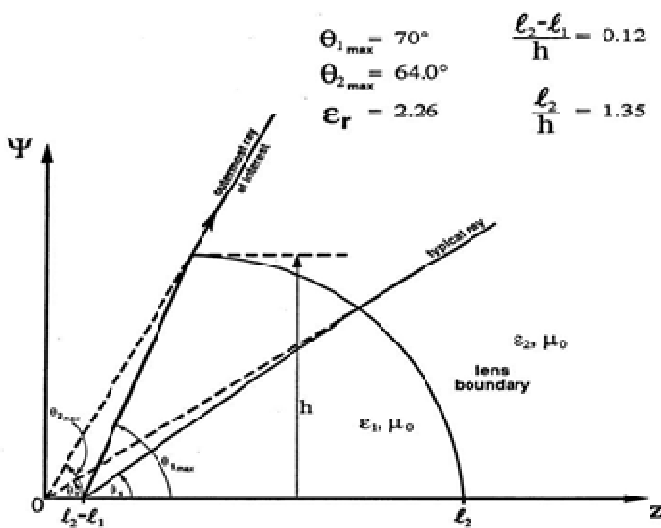


Figure4 : lens for launching spherical wave

define critical angles(subscript “c”). This case is illustrated in Fig.3.5, where the region where the critical ray meets the boundary is expanded. Appealing to Snell’s law in which the phase velocities of the waves in the two media are matched along the boundary gives

$$\sqrt{\epsilon_1} \sin(\psi_i) = \sqrt{\epsilon_2} \sin(\psi_t) \quad (6)$$

Using (4) we have,  $\psi_t = 90^\circ$ , i.e, the wave in medium 2, propagating parallel to the lens boundary. By geometric construction, and simplification,

$$\theta_{1c} = \theta_{2c} + \cos^{-1}\left(\frac{1}{\sqrt{\epsilon_r}}\right) \quad (7)$$

To estimate the principle value for the  $\cos^{-1}$  in (7), needs noting that  $\theta_{1c} \leq \theta_{2c}$  in the construction of Fig(5) Noting that a transmission angle  $\psi_i \leq \pi/2$ , gives  $\theta_{1\max} \leq \theta_{2\max}$  as an acceptable lens boundary in Fig 4,

$$\sin(\psi_i) = \cos(\theta_{1\max} - \theta_{2\max}) \geq \sqrt{\epsilon_r} ,$$

$$\theta_{1\max} - \theta_{2\max} \leq \cos^{-1}\left(\frac{1}{\sqrt{\epsilon_r}}\right) \quad (8)$$

If  $\theta_{1\max} \leq \theta_{2\max}$ , but then the geometrical construction in Fig 4 and Fig5 do not apply and the lens boundary becomes concave to the right. For present considerations,

as  $\theta_{1\max}$  describes the path of the conical-transmission-line conductors in the lens region, a region which lowers the characteristic impedance from that of the conical transmission line outside the lens, our interests centers on  $\theta_{1\max}$  near  $\pi/2$  that maximizes the transmission-line characteristic impedance in lens. There is other consideration as well such as high voltage (breakdown) in the lens closer to the apex at (2) that push in the same direction. In this, concerning  $\theta_{1\max}$  is limited to

$$\theta_{2\max} \leq \theta_{1\max} \leq \min\left[\frac{\pi}{2}, \theta_{2\max} + \cos^{-1}\left(\frac{1}{\sqrt{\epsilon_r}}\right)\right] \quad (9)$$

For  $\epsilon_r$  of 2.26,  $\cos\left(\frac{1}{\sqrt{\epsilon_r}}\right) \approx 48.3^\circ$  (10)

For large dielectric constant, the allowable range of  $\theta_{1max}$  is constrained close to  $\theta_{2max}$

*Special Case of  $\theta = \theta_{2max}$  Spherical Lens*

A very simple lens is that of a sphere of radius 'b' centered on the origin with  $l_2 = l_1 = 2l_0 = b, \theta_2 = \theta_1, \theta_{1max} = \theta_{2max}$  (11)

In this case, if the conical transmission line medium 2 has a characteristic impedance

$Z_{c2}$ , then continuing the conical conductors back into the lens gives a characteristic impedance there of

$$Z_{c1} = \frac{1}{\sqrt{\epsilon_r}} Z_{c2} \quad (12)$$

While the TEM modal distribution is the same on both sides of the lens boundary there is a reflection at the boundary with reflection coefficient

$$\Gamma = \frac{Z_{c2} - Z_{c1}}{Z_{c2} + Z_{c1}} = \frac{\sqrt{\epsilon_r} - 1}{\sqrt{\epsilon_r} + 1} \quad (13)$$

And transmission coefficient  $T = \frac{2\sqrt{\epsilon_r}}{\sqrt{\epsilon_r} + 1}$

(14)

For  $\epsilon_r = 2.26$   $\Gamma \approx 0.20, T \approx 1.20$

The reflected wave in turn reflects off the source point(apex) with an amplitude dependent on the source impedance, say-1 reflection for a short circuit. This reflection in turn passes through the lens boundary as another spherical TEM wave.

Note that in principle the lens should be a complete sphere( $4\pi$  steradians,

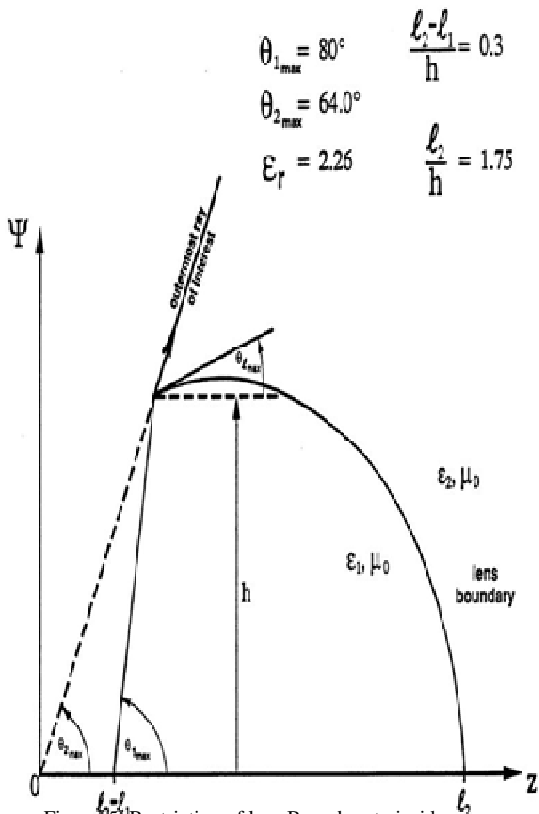
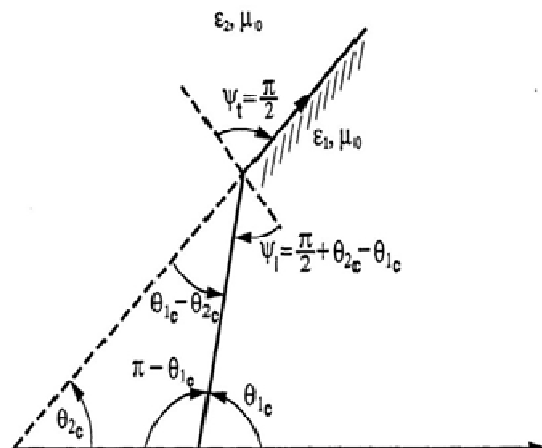


Figure 25: Restriction of lens Boundary to inside outermost Ray of interest

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This points to a possible disadvantage for this kind of spherical lens. Other lens shapes, while meeting the equal-time

$4\pi b^3/3$  ) for the above analysis exactly apply. Otherwise, the missing portions of the lens can introduce other modes which affect the fields at the observer with  $\theta \leq \theta_2 \leq \theta_{2max}$  , complicating the waveform during the times of significance for reflections.

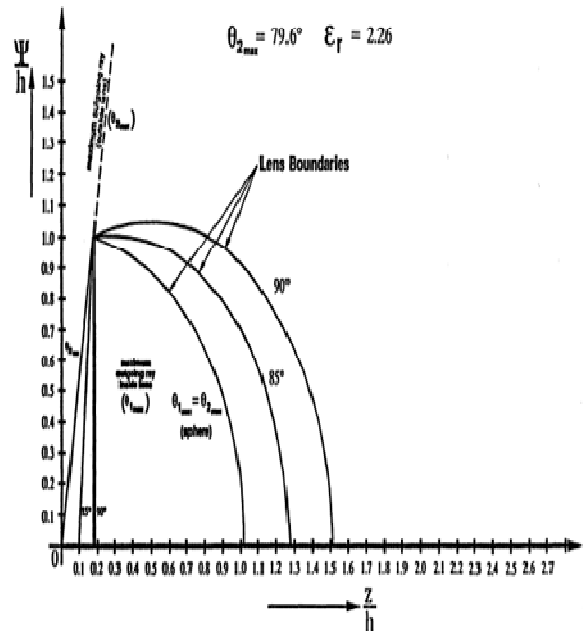


Figure 8 : lens shape for F/D = 0.3

requirement for the first wave through the lens going into a spherical wave outside the lens, can break up the wave front for successive waves by sending non-spherical waves back from the lens boundary which need not ( in large part) converge on the source point.

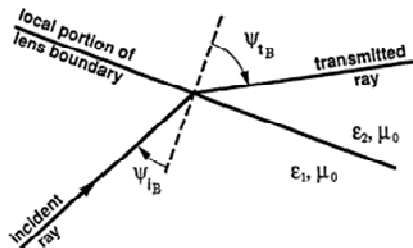


Figure 7: Total Transmission of E

*Brewester angle considerations*



One can reduce reflections at the lens boundary by changing the direction of incidence for appropriate polarization (E wave) by use of Brewster angle considerations [4,5,7]. Referring to Fig.6, and using a subscript "B" for this case we have[1]

$$\psi_{iB} \approx 56.4^\circ$$

Noting that the angle  $\psi_{iB}$  of the transmitted ray is greater than  $0^\circ$  (transmission of normally incident wave) but less than  $90^\circ$  (corresponding to transmission parallel to the lens boundary as in Fig.5.), then for

**Table .1: Lens shape data for**

**F/D=0.3, with  $0 \leq \theta_1 \leq \theta_{1max}$**

and  $0 \leq \theta_2 \leq \theta_{2max}$  and

$$\theta_{1max} = 90^\circ, \theta_{2max} = 79.6^\circ,$$

$$\epsilon_r = 2.26$$

$$\psi_{iB} + \psi_{tB} = \frac{\pi}{2} = 90^\circ \text{ chosen near the critical case there are}$$

$$\theta_1 < \theta_{1max} \quad \text{and} \quad \theta_2 < \theta_{2max} \text{ that}$$

(15)

For

$$\epsilon_r = 2.26$$

$$\psi_{iB} \approx 33.6^\circ$$

satisfy s Brewster-angle condition. So increasing  $\theta_{1max}$  above  $\theta_{2max}$ , and critical angles in

$\theta_1$	$\theta_2$	$z/h$	$\psi/h$
.000	.000	1.157	0.000

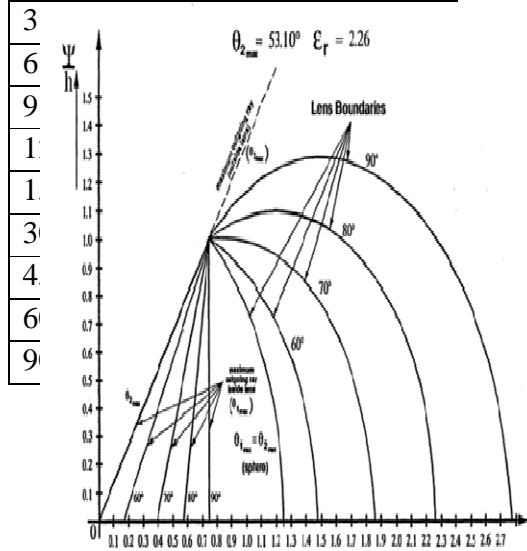


Figure 9 : lens shape for F/D = 0.5

both medium are same, one may make some of the rays have a better transmission through the lens boundary.

*Lens shaping*

To obtain the lens boundary curve we need to compute the coordinates  $z$  and  $\psi$  as a function of  $\theta_2$  (and  $\theta_1$ ).The geometry in Fig4,[1] then yields the result

$$z = \frac{(l_2 - l_1) \tan(\theta_1)}{\tan(\theta_1) - \tan(\theta_2)} \quad (16)$$

$$\psi = z \tan(\theta_2) = \frac{(l_2 - l_1) \tan(\theta_1) \tan(\theta_2)}{\tan(\theta_1) - \tan(\theta_2)}$$

(17)

The above two equations form basis for lens shaping.

**Results and discussion**

In Figures 7 through 8we show various lens boundaries corresponding to values of F/D corresponding to 0.3,0.4,and 0.5 respectively. As expected, we obtain larger for larger values of F/D. In Figure 9, the results obtained correspond to the

**Table .2: Lens shape data for F/D=0.4, With  $0 \leq \theta_1 \leq \theta_{1max}$  and  $0 \leq \theta_2 \leq \theta_{2max}$  and  $\theta_{1max} = 90^\circ$ ,  $\theta_{2max} = 64^\circ$ ,  $\epsilon_r = 2.26$**

$\theta_1$	$\theta_2$	$z/h$	$\psi/h$
0.000	0.000	2.236	0.000
3.000	2.345	2.232	0.091
6.000	4.690	2.222	0.182
9.000	7.032	2.205	0.272
12.000	9.371	2.181	0.360
15.000	11.706	2.151	0.446
30.000	23.278	1.914	0.823
45.000	34.560	1.567	1.080
60.000	45.345	1.173	1.188
90.000	64.044	0.488	1.002

**Table .3: Lens shape data for F/D=0.5, with  $0 \leq \theta_1 \leq \theta_{1max}$  and  $0 \leq \theta_2 \leq \theta_{2max}$  and  $\theta_{1max} = 90^\circ$   $\theta_{2max} = 53.1^\circ$ ,  $\epsilon_r = 2.26$**

$\theta_1$	$\theta_2$	$z/h$	$\psi/h$
.000	.000	2.748	0.000
3.000	2.180	2.743	0.104
6.000	4.358	2.731	0.208
9.000	6.532	2.710	0.310
12.000	8.700	2.681	0.410
15.000	10.861	2.644	0.507
30.000	21.469	2.425	0.926
45.000	31.523	2.031	1.191
60.000	40.604	1.577	1.274
90.000	53.143	0.751	1.002

choice of F/D=0.4. For this value,  $\theta_{2max} = 64.01^\circ$  and lens boundary curves are obtained for choices of  $\theta_{1max}$  equal to  $70^\circ, 80^\circ, 90^\circ$  as well as  $\theta_{2max}$  itself. In tables 1, 2 and 3 numerical data is presented for the case  $\theta_{1max} = 90^\circ$  with F/D=0.3, 0.4, and 0.5 by allowing  $\theta_1$  and  $\theta_2$  to vary up to their maximum values and calculating the coordinates  $z/h$  and  $\psi/h$ .

Tables shows the data after implementing the equation (16 & 17) numerically for various values of  $\theta_1$  and  $\theta_2$  and implementing in MATLAB. The results are well presented in [1]. Due to space constraints, the data is represented in compact form. The relevant data of the simulation is observed in Tables 1 to 3. The tables have retained the originality till the theta 1 attains value of 15. Later the data is condensed so that it covers entire range of the  $\theta_1$ .

**Conclusion**

This paper considered a novel class of antennas namely impulse radiating antennas. The dielectric-lens designs are considered for the specific case of launching an approximate spherical TEM wave became integral part onto an impulse radiation antenna (IRA).. The various definitions, relations and performance metrics were discussed for an Impulse radiating antenna[1]. The the simulation and design of conical TEM feeds and dielectric lens for the Impulse radiating antenna are initially focused in[1].

Considering the extension of the work proposed in this paper, the emphasis can be give on the design of a suitable high voltage pulser, which is crucial for the successive performance of an Impulse radiating antenna. Also, the theory can be extended

for arrays of IRA for multi band communication applications.

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